

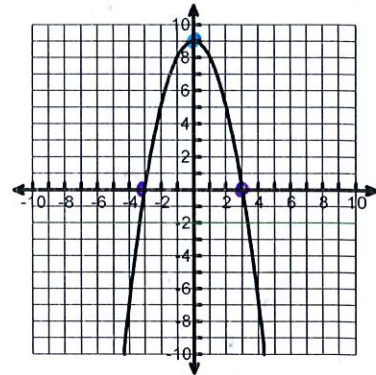
Name: \_\_\_\_\_

Date: \_\_\_\_\_

Identify the following characteristics given the graph:

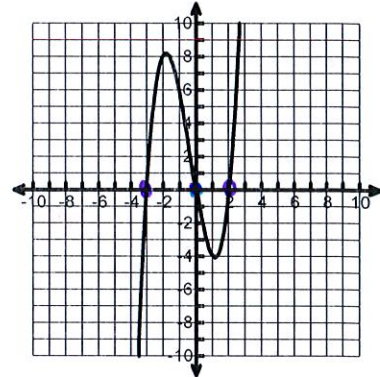
1. Domain:  $\mathbb{R}$   
 Range:  $(-\infty, 9]$   
 (2) Zeros:  $-3, 3$   
 Y-intercept:  $(0, 9)$

\* Quadratic \*  
 $x^2$



2. Domain:  $\mathbb{R}$   
 Range:  $\mathbb{R}$   
 (3) Zeros:  $-3, 0, 2$   
 Y-intercept:  $(0, 0)$

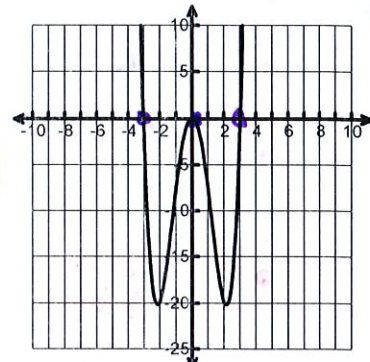
\* Cubic \*  
 $x^3$



3. Domain:  $\mathbb{R}$   
 Range:  $[-20, \infty)$   
 (4) Zeros:  $-3, 0, 0, 3$   
 Y-intercept:  $(0, 0)$

\* Quartic \*  
 $x^4$

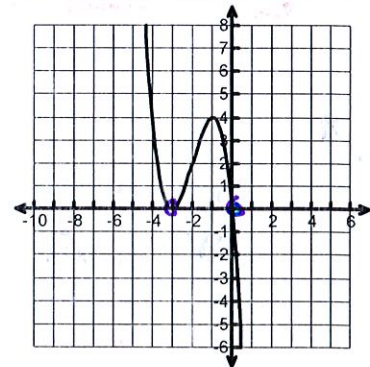
Bounce @  
 0!



4. Domain:  $\mathbb{R}$   
 Range:  $\mathbb{R}$   
 (3) Zeros:  $-3, -3, 0$   
 Y-intercept:  $(0, 0)$

\* Cubic \*  
 $x^3$

Bounce @  
 $-3!$



Determine the number of zeros, y-intercept, & find the domain:

5.  $f(x) = -4x^3 + x + 9$   
 3,  $(0, 9)$ ,  $\mathbb{R}$

6.  $f(x) = -6x^4 + 1$   
 4,  $(0, 1)$ ,  $\mathbb{R}$

	Increasing, Decreasing, & Constant <i>X-values → only ( )</i>	Extremas		
<p>7.</p>	Increasing	$(-\infty, -1.33)$ $(0, \infty)$	Absolute Minimum <i>Very lowest point</i>	<b>None</b> → goes to $-\infty$
	Decreasing	$(-1.33, 0)$	Absolute Maximum <i>Very highest point</i>	<b>None</b> → goes to $\infty$
	Constant		Relative Minimum(s) <i>Any low point</i>	$(0, 0)$
			Relative Maximum(s) <i>Any high point</i>	$(-1.33, 1.19)$
<p>8.</p>	Increasing	$(3, \infty)$	Absolute Minimum	$(3, -4)$
	Decreasing	$(-\infty, 3)$	Absolute Maximum	none
	Constant		Relative Minimum(s) <i>* include Absolute Min*</i>	$(3, -4)$
			Relative Maximum(s)	none
<p>9.</p>	Increasing	$(-\infty, 0.219)$ $(2.28, \infty)$	Absolute Minimum	$(2.28, -9.91)$
	Decreasing	$(0.219, 2.28)$	Absolute Maximum	none
	Constant		Relative Minimum(s)	$(-1, 0) +$ $(2.28, -9.91)$
			Relative Maximum(s)	$(0.219, 3.227)$